# Optical Fiber Communication Systems

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## Lecture One

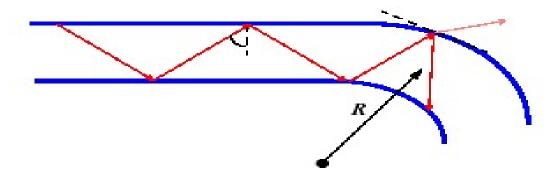
#### **Advantages of Fiber Optics**

- Why are fiber-optic systems revolutionizing telecommunications? Compared to conventional metal wire (copper wire), optical fibers are:
- 1. Less expensive Several miles of optical cable can be made cheaper than equivalent lengths of copper wire. This saves your provider (cable TV, Internet) and you money.
- 2. Thinner Optical fibers can be drawn to smaller diameters than copper wire.
- 3. Higher carrying capacity.
- **4.** Less signal degradation The loss of signal in optical fiber is less than in copper wire.
- 5. Light signals Unlike electrical signals in copper wires, light signals from one fiber do not interfere with those of other fibers in the same cable. This means clearer phone conversations or TV reception.

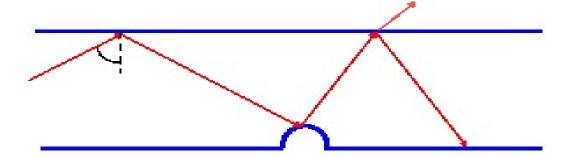
- **6.** Low power Because signals in optical fibers degrade less, lower-power transmitters can be used instead of the high-voltage electrical transmitters needed for copper wires. Again, this saves your provider and you money.
- 7. Lightweight An optical cable weighs less than a comparable copper wire cable.
- **8. Flexible** Because fiber optics are so flexible and can transmit and receive light, they especially useful in computer networks.
- 9. Strength: perception: Fiber is fragile. Fact: Fiber is 4+ times stronger than copper
- 10. optic cables take up less space in the ground. So they are used in many flexible digital cameras for the following purposes:
- ✓ Medical imaging.
- ✓ Mechanical imaging.

#### Disadvantages with optical fiber vs. copper cables

· Limited bending radius



· Sencitivity to radial forces



Complicated joining and contacting processes









**□** Optical Fiber Communication System

- > Transmitter Produces and encodes the light signals
- 1. interface circuit and
- 2. a source drive circuit
- 3. optical source
- > Optical fiber Conducts the light signals over a distance
- > Optical regenerator May be necessary to boost the light signal (for long distances)
- 4. **Optical receiver** Receives and decodes the light signals
- the optical detector (semiconductor positive-intrinsic-negative (*PIN*) diode or an avalanche photodiode (APD))

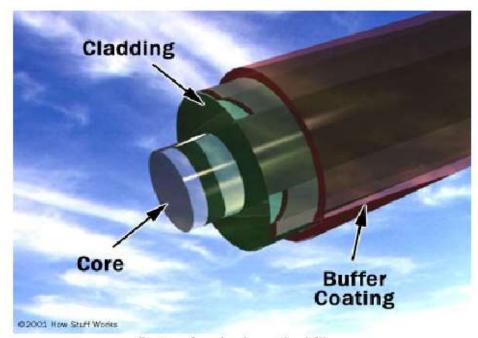
and,

- the signal-conditioning circuits.
- Fiber optics (optical fibers) are long, thin strands of very pure glass about the diameter of a human hair. They are arranged in bundles called **optical cables** and used to transmit <u>light</u> signals over long distances.

Some optical fibers can be made from **plastic**. These fibers have a large core (0.04 inches or 1 mm diameter) and transmit visible red light (wavelength = 650 nm) from LEDs.

#### ☐ Parts of a single optical fiber :

- $\triangleright$  Core Thin glass center of the fiber where the light travels with refractive index  $\mathbf{n}_1$ .
- $\triangleright$  Cladding Outer optical material surrounding the core that reflects the light back into the core with refractive index  $n_2$  so that  $n_1 > n_2$ .
- > **Buffer coating** Plastic coating that protects the fiber from damage and moisture

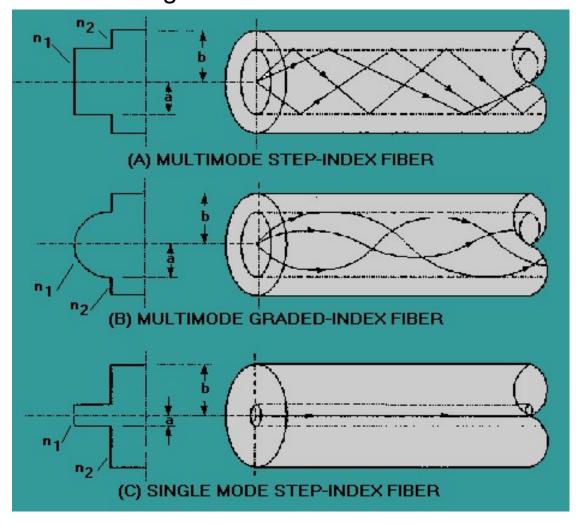


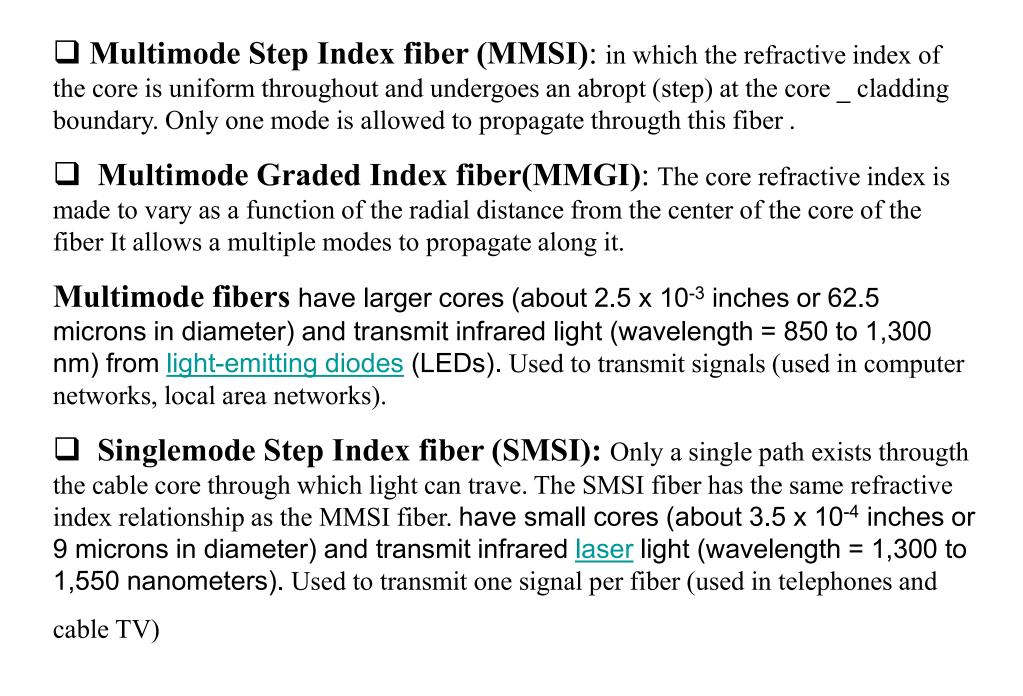
Parts of a single optical fiber

- ☐ Optical fibers come in two types:
- **≻Single-mode fibers**
- >Multi-mode fibers

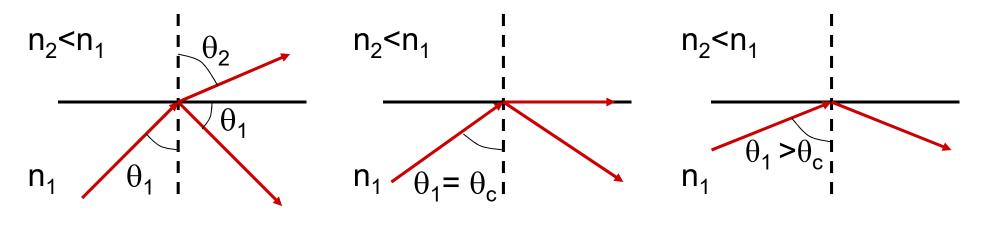
> A set of guided electromagnetic waves is called the MODES of an optical

fiber





- Total internal reflection (TIR) is the most important phenomenon for the guiding of light in optical fibers.
- Under the condition of total internal reflection, light can be completely reflected at a dielectric interface without any reflective coating.
- ☐ It is required for TIR that the ray of light be incidental on a dielectric interface from the high refractive index to the low refractive index side.



Snell's law

 $n_1 \sin \theta_1 = n_2 \sin \theta_2$ 

Critical angle

$$\sin \theta_c = \frac{n_2}{n_1}$$

Total internal reflection

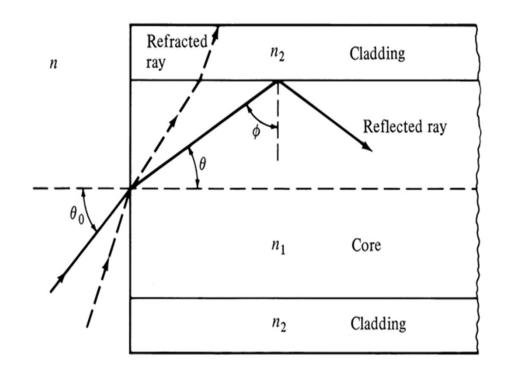
The angle  $\theta_a$  is referred to as the <u>maximum acceptance angle</u> and  $\theta_c$  is the critical angle for internal reflection. The angles  $\theta_a$  and  $\theta_c$  are determined by the refractive indices of core and cladding.

At an angle **greater** than  $\theta_c$ , a ray will propagate inside the core by a series of internal reflections. And

NA is the numerical aperture of the fiber and is defined as the light-gathering power of an optical fiber. When the face of the fiber is in contact with air  $(n_o = 1 \text{ for air})$ ,

#### Relative refractive Index difference $\Delta$

$$\Delta = \frac{n_1^2 - n_2^2}{2 n_1^2}$$
if  $n_1 \approx n_2 = n$ :
$$\Delta \approx \frac{n_1 - n_2}{n_1} = \frac{\Delta n}{n}$$



Critical angle: 
$$\sin \theta_c = \frac{n_2}{n_1}$$

Maximum entrance angle:

$$\sin \theta_a = \frac{n_1}{n_o} \sin \theta_c$$

Numerical aperture:

$$NA \equiv n_0 \sin \theta_a = n_1 \sin \theta_c = \sqrt{n_1^2 - n_2^2}$$

$$NA \approx n_{\perp} \sqrt{2\Delta}$$

$$NA=0.1 \Rightarrow \theta_a \approx 6^\circ$$

#### NA lies between 0 and 1, when:

- NA = 0 that means the fiber gathers no light (corresponding to  $\phi_a = 0^\circ$ ).
- NA = 1 means the fiber gathers all light falls on it (corresponding to  $\phi_a = 90^{\circ}$ ).

The refractive index profile, n(r), in graded index fiber GRIN can be expressed as,

$$n(r) = n_1 (1 - 2\Delta(r/a))^g$$
 for  $r < a$  [core]  
 $n(r) = n_2$  for  $r \ge a$  [cladding]

where C is a constant of proportionality and r is the distance from the fiber axis. The key parameter of g controls the shape of the propagating light rays.

In communication fibers, the **g**-value determines he btandwidth of the optical fiber.

In a GRIN fiber is parabolic (g = 2), the bandwidth is maximized.

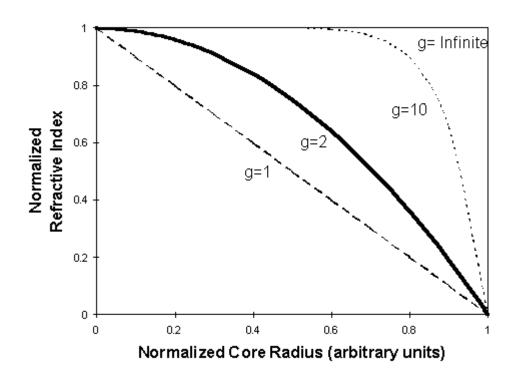


Figure shows the profile of refractive index from core center to the outside edge of GRIN fiber with different g-values.

**Example1**: A typical refractive index differencefor an optical fiber designed for long distance transmission is 1%. Estimate the **NA** and the solid angle acceptance angle in air for the fiber when the core index is 1.46. further, calculate the **critical angle at the core-cladding interface** within the fiber. It may be assumed that the concepts of geometric optics hold for the fiber.

sol.	
	NA = n, (20) = 1.46 (0.02)
	'=0.21
1	
	For small angles the solid acceptance angle in air & is given by
	\$= nOa = nsin Og
	But 9= 11 (NA) = 110-04
	= 0.13 rad
	Using
	$\Delta = \frac{n_1 - n_2}{n_1} = 1 - \frac{n_2}{n_1}$
	- n2/n, = 1 - A
	= 0.99
	The critical angle at the core-cladding interface is
	$rac{1}{2} = 8 \sin \frac{n_3}{n_1} = 8 \sin \frac{n_2}{n_2}$
1	= 81.9

□ NORMALIZED FREQUENCY. V - Electromagnetic waves bound to an optical fiber are described by the fiber's normalized frequency.

$$V = \frac{2\pi}{\lambda} a NA = \frac{2\pi}{\lambda} a n_1 (2\Delta)^{\frac{1}{2}}$$

The number of modes that can exist in a fiber (core) is a function of V and can be calculated as

$$N = \frac{V^2}{2} \frac{g}{g+2}$$

As the value of V increases, the number of modes supported by the fiber increases.

For  $\alpha$ =2 for parabolic profile fiber.

$$N = \frac{V^{2}}{4}$$

- The wavelength at which a mode ceases to propagate is called the **cutoff** wavelength for that mode. However, an optical fiber is always able to propagate at least one mode, the fundamental mode.
- > The fundamental mode can never be cut off.
- The **cutoff wavelength** of a single mode fiber is the wavelength above which the fiber propagates only the fundamental mode.
- $\triangleright$  A single mode operation only occurs above a theoretical cutoff wavelength  $\lambda_c$  is given by

$$\lambda_c = \frac{2\pi a n_1}{V_c} (2\Delta)^{\frac{1}{2}}$$

Where  $V_c$  is the cutoff normalized frequency. Hence  $\lambda_c$  is the cutoff wavelength above which a particular fiber becomes single moded. By dividing eq. 2 by eq.1 for the same fiber one can obtain the inverse relationship:

$$\frac{\lambda_c}{\lambda} = \frac{V}{V_c}$$

 $\triangleright$  Thus for step index fiber where  $V_c = 2.405$ , the cutoff wavelength is given by:

$$\lambda_c = \frac{V\lambda}{2.405}$$

#### Example:

seriorss Ex.	A graded index fiber has a core with aparabolic refractive index which has adiameter of 50 mm. The fiber has a num				
	erical aperture of 0.2. Estimate the total number of guided modes propagating in the fiber when it is operating at a wavelength of IM.				
, soL	The normalized frequency for the fiber 1s?				
•	$V = \frac{277}{\lambda} a(NA) = \frac{271 \times 25 \times 10^6 \times 0.2}{1 \times 10^6}$ = 31. 4				
	The mode volum may be obtained:				
	$N \approx \frac{V^2}{2}, \frac{2}{24} \approx \frac{V^2}{4}$ $= \frac{986}{4} = 247$				
•	Hence the fiber supports approximately 247 guided modes.				

#### **Types of Fibers**

Туре	Diameter Core/ Cladding (Micrometers)	NA	Attenuation (dB/km)	Distance -Bandwidth Product (MHz-km)
Short distance multimode)	100/200	0.3	5 - 10	20 - 200
Single mode	6/125	0.03	< 1	> 1000
Long distance graded index	50/125	0.2	1 - 5	500 - 1500

Consideration of **performance** comes to answering three questions:

- 1) How much light can be **coupled** into the core through the external acceptance angle?
- 2) How much **attenuation** will a light ray experience in propagating down the core?
- 3) How much time **dispersion** will light rays representing the same input pulse experience in propagating down the core?

## **Characteristics of Cables Based on Copper Wire and on Optical Fibers**

	Copper	Fiber
Diameter (inches)	2.8	0.5
Weight (lb/1000-ft length)	4800	80
Data capacity (megabits/sec)	3.15	417

